## OIOS NAC IM

- 1. A particle A of mass 2 kg is moving along a straight horizontal line with speed 1. Another particle B of mass m kg is moving along the same straight line, in the opposition of the direction to A, with speed 8 m s<sup>-1</sup>. The particles collide. The direction of motion of A is unchanged by the collision. Immediately after the collision, A is moving with speed 3 m s<sup>-1</sup> and B is moving with speed 4 m s<sup>-1</sup>. Find
  - (a) the magnitude of the impulse exerted by B on A in the collision,
  - (b) the value of m.

    (4)

    (2)

    (3)

    (4)

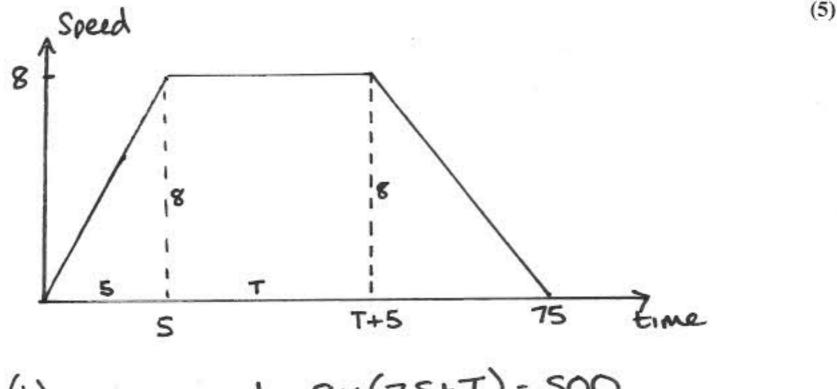
    (2)

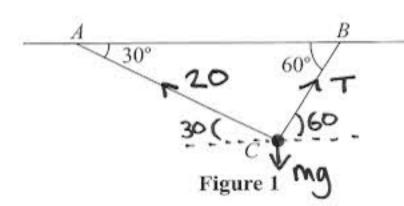
    (M)

(2)

- (b)  $2 \times 12 + M \times -8 = 2 \times 3 + 4 \times M$   $2 \times 12 + M \times -8 = 2 \times 3 + 4 \times M$   $2 \times 12 + M \times -8 = 2 \times 3 + 4 \times M$ 18 = 12 M M = 1.5 kg
- (a) Mom A before = 2x12 = 24Ns => Impulse = 18Ns Mom A after = 2x3 = 6Ns => Impulse = 18Ns

- (a) In the space below, sketch a speed-time graph to illustrate the motion of the athlete.
- (3)
- (b) Calculate the value of T.





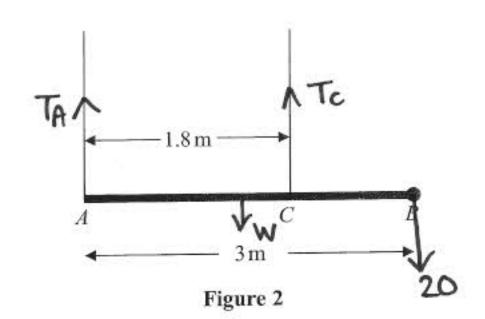
A particle of mass m kg is attached at C to two light inextensible strings AC and BC. The other ends of the strings are attached to fixed points A and B on a horizontal ceiling. The particle hangs in equilibrium with AC and BC inclined to the horizontal at 30° and 60° respectively, as shown in Figure 1.

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Given that the tension in AC is 20 N, find

- (a) the tension in BC,
- (4)
- (b) the value of m.

(4)



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(4)

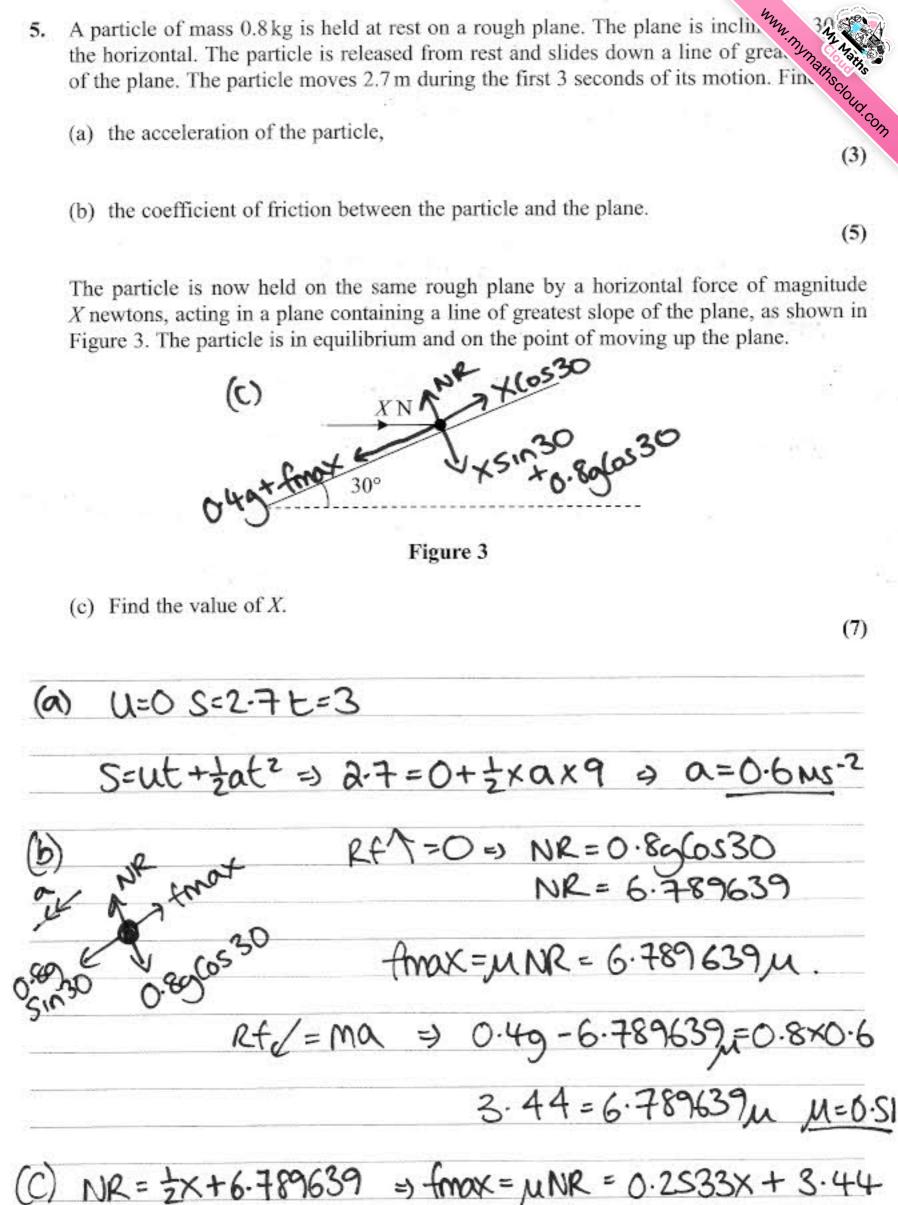
A pole AB has length 3 m and weight W newtons. The pole is held in a horizontal position in equilibrium by two vertical ropes attached to the pole at the points A and C where AC = 1.8 m, as shown in Figure 2. A load of weight 20 N is attached to the rod at B. The pole is modelled as a uniform rod, the ropes as light inextensible strings and the load as a particle.

- (a) Show that the tension in the rope attached to the pole at C is  $\left(\frac{5}{6}W + \frac{100}{3}\right)N$ .
- (b) Find, in terms of W, the tension in the rope attached to the pole at A. (3)

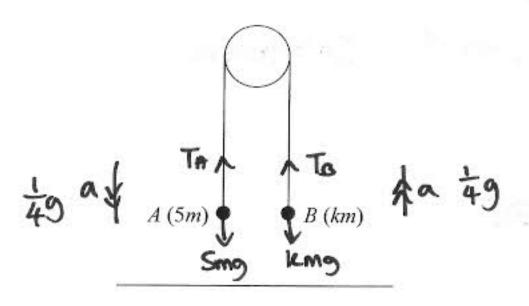
Given that the tension in the rope attached to the pole at C is eight times the tension in the rope attached to the pole at A,

(c) find the value of W.

$$T_{c} = \frac{1.5W + 60}{1.8} = \frac{5W + 100}{6W + \frac{3}{3}}$$



 $Rf_{\ell} = 0$  0.4g+0.2S33X+3.44 = 0.866X 7.36 = 0.6127X X=12N



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Figure 4

Two particles A and B have masses 5m and km respectively, where k < 5. The particles are connected by a light inextensible string which passes over a smooth light fixed pulley. The system is held at rest with the string taut, the hanging parts of the string vertical and with A and B at the same height above a horizontal plane, as shown in Figure 4. The system is released from rest. After release, A descends with acceleration  $\frac{1}{4}g$ .

- (a) Show that the tension in the string as A descends is  $\frac{15}{4}mg$ .
- (b) Find the value of k. (3)
- (c) State how you have used the information that the pulley is smooth.

  (1)

After descending for  $1.2 \,\mathrm{s}$ , the particle A reaches the plane. It is immediately brought to rest by the impact with the plane. The initial distance between B and the pulley is such that, in the subsequent motion, B does not reach the pulley.

(d) Find the greatest height reached by B above the plane.

(a) RfJ=Ma =>  $5mg-TA=5m\times 4g$   $TA=5mg-\frac{5}{4}mg=\frac{15}{4}mg$ 

=) 15 mg = 3 hng =) 15 = Sh => K=3

(c) Same tension either side of pulley.

Initial 
$$\frac{1}{1.764}$$
 By 2.94  $\frac{1}{1.764}$   $\frac{1}{1.764}$ 

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[In this question, i and j are horizontal unit vectors due east and due north who with respect to a fixed origin.]

vector of S is s km. When t = 0, s = 9i - 6j. When t = 4, s = 21i + 10j. Find

(a) the speed of S,

(b) the direction in which S is moving, giving your answer as a bearing.

(c) Show that  $\mathbf{s} = (3t+9)\mathbf{i} + (4t-6)\mathbf{j}$ .

A lighthouse L is located at the point with position vector (18i + 6j) km. When t = T, the ship S is  $10 \,\mathrm{km}$  from L.

(d) Find the possible values of T.

(6)

(a) 
$$Vel = (21i+10j)-(9i-6j) = 12i+16j = 3i+4j unh-1$$

$$\theta = 90 - \tan^{-1}(\frac{4}{3}) = 36.9^{\circ}$$

$$SL^2 = (9-3T)^2 + (12-4T)^2$$
  $SL^2 = 10^2 = 100$ 

$$T^{2}-6T+S=0$$

$$(T-S)(T-I)=0$$

$$T=Shrs T=Ihr$$